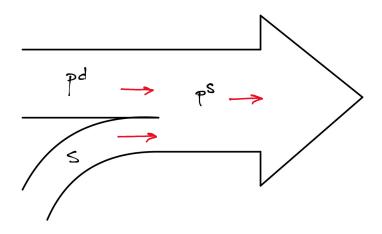
Government or other entity pays for part of a transaction:

Buyer pays:  $P^d$ 

Government pays: S

New flow of money:



$$P^d + S = P^s$$

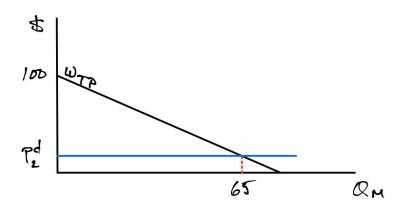
No change in the decision rules:

$$WTP = P^d$$

$$WTA = P^s$$

Designing a subsidy for the example model:

Step 1: find  $P_2^d$  needed for demand to hit target  $Q_M^e$ 

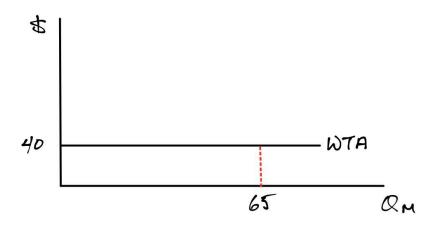


$$100 - Q_M^D = P_2^d$$
  

$$100 - 65 = P_2^d$$
  

$$P_2^d = 35$$

Step 2: find  $P_2^s$  needed to induce supply



$$WTA(65) = P_2^s$$
 Plug target Q into WTA  $$40 = P_2^s$ 

Step 3: use the accounting rule to find S

$$P_2^d + S = P_2^s$$
  
\$35 +  $S$  = \$40  
 $S$  = \$5

## Efficient subsidy and $MB_e$ :

In general, S will *always* be equal to  $MB_e$  at efficient  $Q_M^e$ 

## For efficiency want:

$$MSB = WTA$$

$$WTP + MB_e = WTA$$

## **Effect** of subsidy *S*:

Accounting:  $P^d + S = P^s$ 

Buyer rule:  $WTP = P^d$ 

Seller rule:  $WTA = P^s$ 

Substituting into the accounting rule:

$$WTP + S = WTA$$

## Now solve for the *S* to get to efficiency:

Goal:  $WTP + MB_e = WTA$ 

Accounting: WTP + S = WTA

$$WTP + S = WTP + MB_{\rho}$$

$$S = MB_e$$

The subsidy should be set equal to the externality.

When  $MB_e$  is not be constant the rule applies at the efficient Q:

$$S = MB_e(Q_M^e)$$

Daily exercise